Selvam College of Technology (Autonomous), "A" Grade by NAAC, UGC recognized 2(f) Status, Approved by AICTE – New Delhi, Affiliated to Anna University Namakkal – 03. www.selvamtech.edu.in

DEPARTMENT OF CIVIL ENGINEERING CE3502- STRUCTURAL ANALYSIS-1

UNIT-5- STIFFNESS METHOD

2 MARKS QUESTIONS

S.No	QUESTIONS	co's
1.	Define static indeterminacy.	CO5
	The excess number of reactions that make a structure indeterminate is called static	
	indeterminacy. Static indeterminacy = No. of reactions – Equilibrium conditions	
	Define flexibility of a structure.	CO5
2.	This method is also called the force method in which the forces in the structure are treated as	
	unknowns. The no of equations involved is equal to the degree of static indeterminacy of the	
	structure.	
3.	Write down the equation of element stiffness matrix as applied to 2D plane element.	
	The equation of element stiffness matrix for 2D plane element is	CO5
	$K = \frac{EI}{L} \begin{bmatrix} 4 & 2 \\ 2 & 4 \end{bmatrix}$	
	Define degree of freedom of the structure with an example. What is degree of kinematic	
	indeterminacy and give an example.	
	Degree of freedom is defined as the least no of independent displacements required to define	
	the deformed shape of a structure.	
	There are two types of DOF: (a) Nodal type DOF and (b) Joint type DOF.	
4.	For example:	CO5
	★	
	i = r - e where, $r = no$ of reactions, $e = no$ of equilibrium conditions $r = 4$ and $e = 3$ $i = 4 - 3$	
	= 1	
	Write a short note on global stiffness matrices.	
5.	The size of the global stiffness matrix (GSM) =	CO5
	No: of nodes x Degrees of freedom per node.	
6.	Write a note on element stiffness matrix.	CO5

Selvam College of Technology (Autonomous), "A" Grade by NAAC, UGC recognized 2(f) Status, Approved by AICTE – New Delhi, Affiliated to Anna University Namakkal – 03. www.selvamtech.edu.in

List out the properties of rotation matrix. • Matrix multiplication has no effect on the zero vectors (the coordinates of the lit can be used to describe rotations about the origin of the coordinate system end and stiffness matrix method? Rotation matrices are square matrices with real entries. What are the basic unknowns in stiffness matrix method? In the stiffness matrix method nodal displacements are treated as the basic unknown the solution of indeterminate structures. List the properties of the stiffness matrix. • The properties of the stiffness matrix are: 9. It is a symmetric matrix • The sum of elements in any column must be equal to zero. • It is an unstable element therefore the determinant is equal to zero. Compare flexibility method and stiffness method. Flexibility matrix method: • The redundant forces are treated as basic unknowns. • The number of equations involved is equal to the degree of static indeterm the structure.	. CO5
Matrix multiplication has no effect on the zero vectors (the coordinates of the It can be used to describe rotations about the origin of the coordinate system Rotation matrices provide an algebraic description of such rotations. They are used extensively for computations. Rotation matrices are square matrices with real entries. What are the basic unknowns in stiffness matrix method? In the stiffness matrix method nodal displacements are treated as the basic unknown the solution of indeterminate structures. List the properties of the stiffness matrix. The properties of the stiffness matrix are: It is a symmetric matrix The sum of elements in any column must be equal to zero. It is an unstable element therefore the determinant is equal to zero. Compare flexibility method and stiffness method. Flexibility matrix method: The redundant forces are treated as basic unknowns. The number of equations involved is equal to the degree of static indeterm the structure.	. CO5
It can be used to describe rotations about the origin of the coordinate system Rotation matrices provide an algebraic description of such rotations. They are used extensively for computations. Rotation matrices are square matrices with real entries. What are the basic unknowns in stiffness matrix method? In the stiffness matrix method nodal displacements are treated as the basic unknown the solution of indeterminate structures. List the properties of the stiffness matrix. The properties of the stiffness matrix are: It is a symmetric matrix The sum of elements in any column must be equal to zero. It is an unstable element therefore the determinant is equal to zero. Compare flexibility method and stiffness method. Flexibility matrix method: The redundant forces are treated as basic unknowns. The number of equations involved is equal to the degree of static indeterm the structure.	. CO5
 Rotation matrices provide an algebraic description of such rotations. They are used extensively for computations. Rotation matrices are square matrices with real entries. What are the basic unknowns in stiffness matrix method? In the stiffness matrix method nodal displacements are treated as the basic unknown the solution of indeterminate structures. List the properties of the stiffness matrix. The properties of the stiffness matrix are: It is a symmetric matrix The sum of elements in any column must be equal to zero. It is an unstable element therefore the determinant is equal to zero. Compare flexibility method and stiffness method. Flexibility matrix method: The redundant forces are treated as basic unknowns. The number of equations involved is equal to the degree of static indeterm the structure. 	CO5
 Rotation matrices provide an algebraic description of such rotations. They are used extensively for computations. Rotation matrices are square matrices with real entries. What are the basic unknowns in stiffness matrix method? In the stiffness matrix method nodal displacements are treated as the basic unknown the solution of indeterminate structures. List the properties of the stiffness matrix. The properties of the stiffness matrix are: It is a symmetric matrix The sum of elements in any column must be equal to zero. It is an unstable element therefore the determinant is equal to zero. Compare flexibility method and stiffness method. Flexibility matrix method: The redundant forces are treated as basic unknowns. The number of equations involved is equal to the degree of static indeterm the structure. 	
Rotation matrices are square matrices with real entries. What are the basic unknowns in stiffness matrix method? In the stiffness matrix method nodal displacements are treated as the basic unknown the solution of indeterminate structures. List the properties of the stiffness matrix. The properties of the stiffness matrix are: It is a symmetric matrix The sum of elements in any column must be equal to zero. It is an unstable element therefore the determinant is equal to zero. Compare flexibility method and stiffness method. Flexibility matrix method: The redundant forces are treated as basic unknowns. The number of equations involved is equal to the degree of static indeterm the structure.	s for CO5
What are the basic unknowns in stiffness matrix method? In the stiffness matrix method nodal displacements are treated as the basic unknown the solution of indeterminate structures. List the properties of the stiffness matrix. • The properties of the stiffness matrix are: • It is a symmetric matrix • The sum of elements in any column must be equal to zero. • It is an unstable element therefore the determinant is equal to zero. Compare flexibility method and stiffness method. Flexibility matrix method: • The redundant forces are treated as basic unknowns. • The number of equations involved is equal to the degree of static indeterm the structure.	for CO5
8. In the stiffness matrix method nodal displacements are treated as the basic unknown the solution of indeterminate structures. List the properties of the stiffness matrix. • The properties of the stiffness matrix are: • It is a symmetric matrix • The sum of elements in any column must be equal to zero. • It is an unstable element therefore the determinant is equal to zero. Compare flexibility method and stiffness method. Flexibility matrix method: • The redundant forces are treated as basic unknowns. • The number of equations involved is equal to the degree of static indeterm the structure.	for CO5
the solution of indeterminate structures. List the properties of the stiffness matrix. • The properties of the stiffness matrix are: • It is a symmetric matrix • The sum of elements in any column must be equal to zero. • It is an unstable element therefore the determinant is equal to zero. Compare flexibility method and stiffness method. Flexibility matrix method: • The redundant forces are treated as basic unknowns. • The number of equations involved is equal to the degree of static indeterm the structure.	s for
List the properties of the stiffness matrix. • The properties of the stiffness matrix are: • It is a symmetric matrix • The sum of elements in any column must be equal to zero. • It is an unstable element therefore the determinant is equal to zero. Compare flexibility method and stiffness method. Flexibility matrix method: • The redundant forces are treated as basic unknowns. • The number of equations involved is equal to the degree of static indeterm the structure.	3 101 003
 The properties of the stiffness matrix are: It is a symmetric matrix The sum of elements in any column must be equal to zero. It is an unstable element therefore the determinant is equal to zero. Compare flexibility method and stiffness method. Flexibility matrix method: The redundant forces are treated as basic unknowns. The number of equations involved is equal to the degree of static indeterm the structure. 	
 It is a symmetric matrix The sum of elements in any column must be equal to zero. It is an unstable element therefore the determinant is equal to zero. Compare flexibility method and stiffness method. Flexibility matrix method: The redundant forces are treated as basic unknowns. The number of equations involved is equal to the degree of static indeterm the structure. 	
 The sum of elements in any column must be equal to zero. It is an unstable element therefore the determinant is equal to zero. Compare flexibility method and stiffness method. Flexibility matrix method: The redundant forces are treated as basic unknowns. The number of equations involved is equal to the degree of static indeterm the structure. 	
 It is an unstable element therefore the determinant is equal to zero. Compare flexibility method and stiffness method. Flexibility matrix method: The redundant forces are treated as basic unknowns. The number of equations involved is equal to the degree of static indeterm the structure. 	CO5
Compare flexibility method and stiffness method. Flexibility matrix method: • The redundant forces are treated as basic unknowns. • The number of equations involved is equal to the degree of static indeterm the structure.	
 Flexibility matrix method: The redundant forces are treated as basic unknowns. The number of equations involved is equal to the degree of static indeterm the structure. 	
 The redundant forces are treated as basic unknowns. The number of equations involved is equal to the degree of static indeterm the structure. 	
The number of equations involved is equal to the degree of static indeterm the structure.	
the structure.	
	nacy of
The method is the generalization of consistent deformation method.	
Different procedures are used for determinate and indeterminate structures.	l
Stiffness matrix method:	CO5
The joint displacements are treated as basic unknowns	CO5
The number of displacements involved is equal to the no of degrees of fre	CO5
the structure	
The method is the generalization of the slope deflection method.	
The same procedure is used for both determinate and indeterminate structure.	